

ENGINEERING GROUP OF THE GEOLOGICAL SOCIETY

Where Are We Now And What Is The
Future?



What Is Cone Penetration Testing?

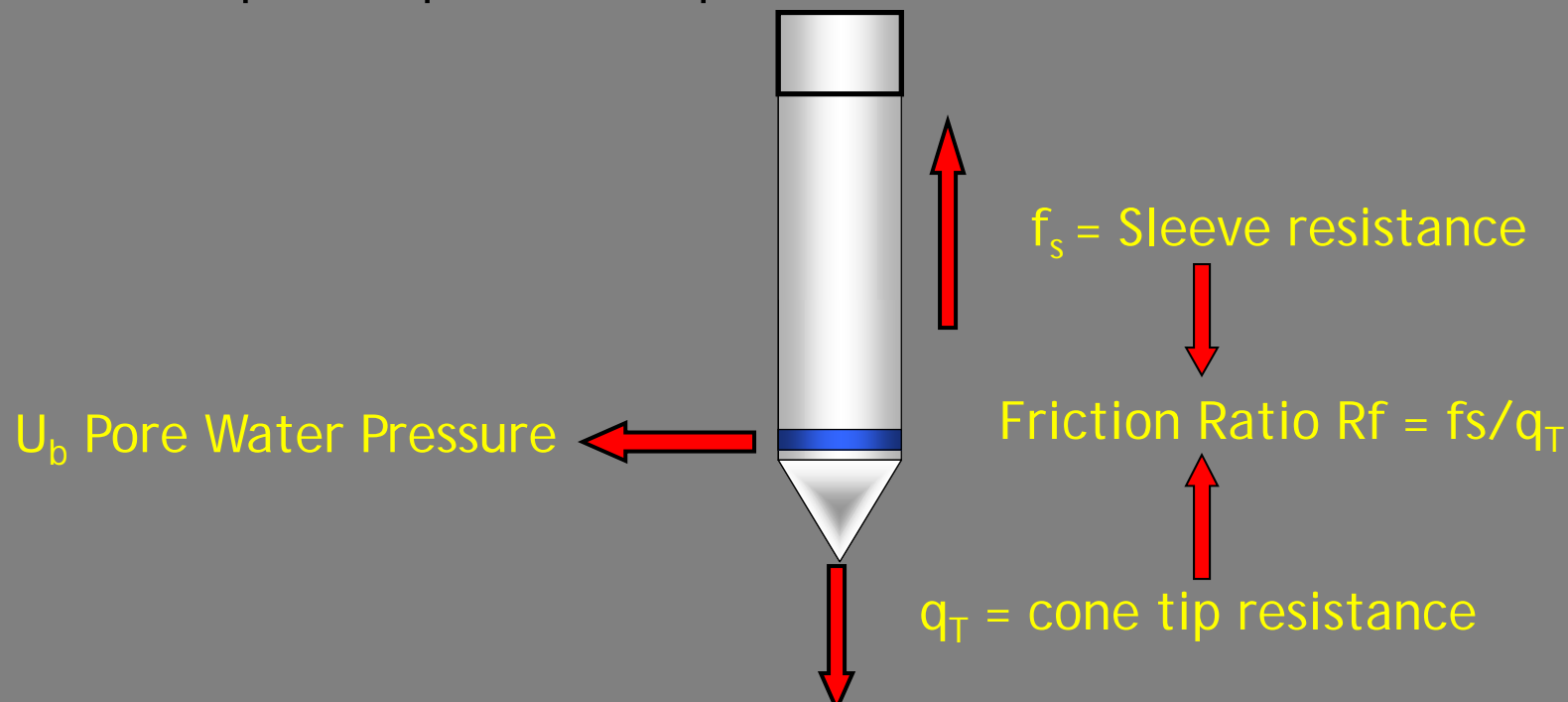
- The Cone penetrometer is an instrumented probe that is pushed into the ground with a 20 Tonne hydraulic ram set and a thrust machine

- Comprises two main sections:

- 1.The cone tip (60°)
- 2.A friction sleeve

} Friction cone

3. Optional pore water pressure transducer - Piezocone



Eurocode 7

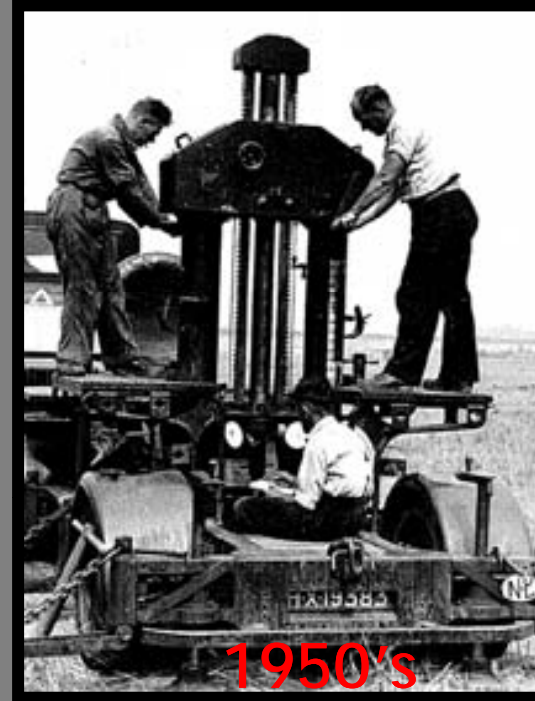
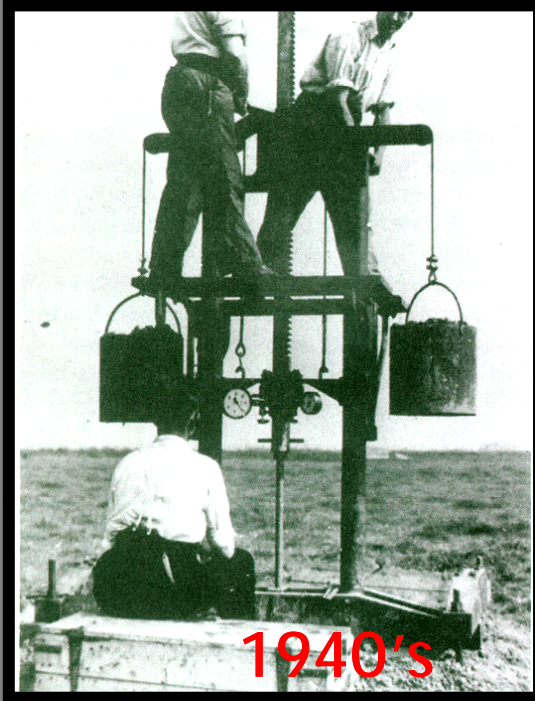
- Implementation 2010 and allows
- For Rapid Site Characterisation
- Design Parameters - “the derived value” of a geotechnical parameter is defined in Eurocode 7 as
‘the value.....obtained by theory, correlation or empiricism from the test’

The CPT readily lends itself to these requirements.



CPT DEPLOYMENT SYSTEMS

Early Penetration Testing



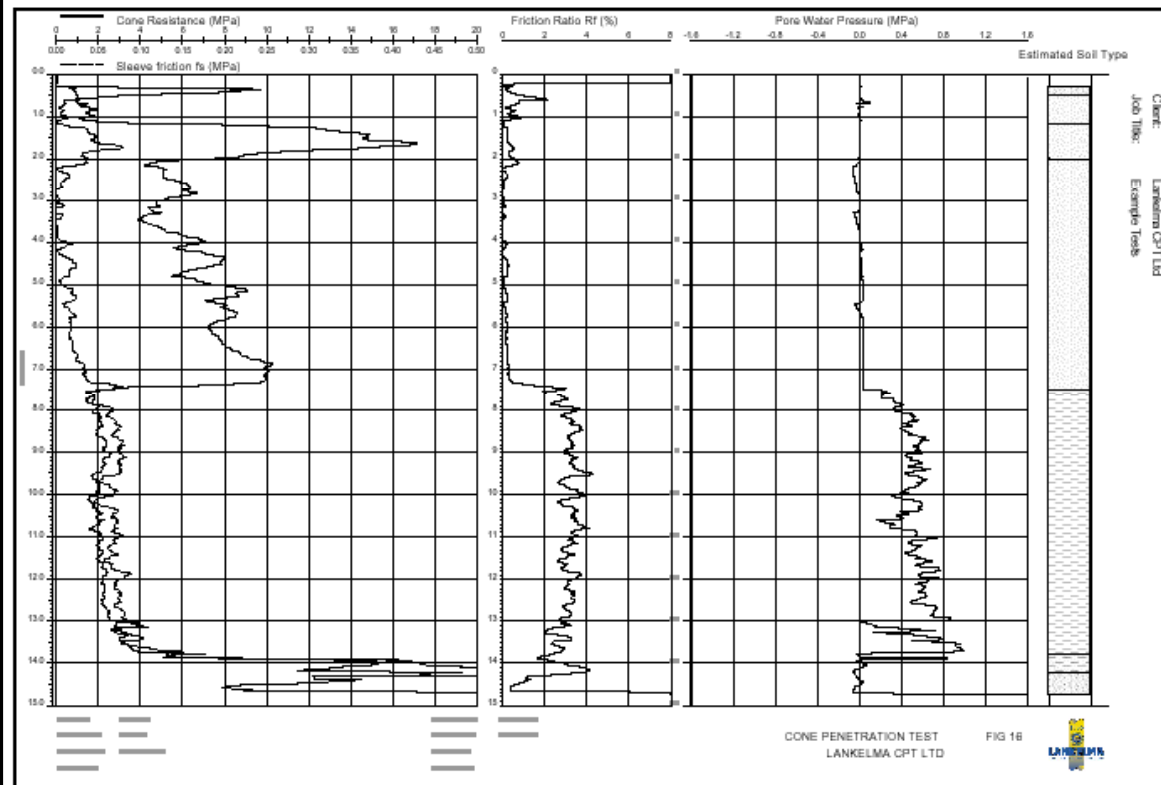
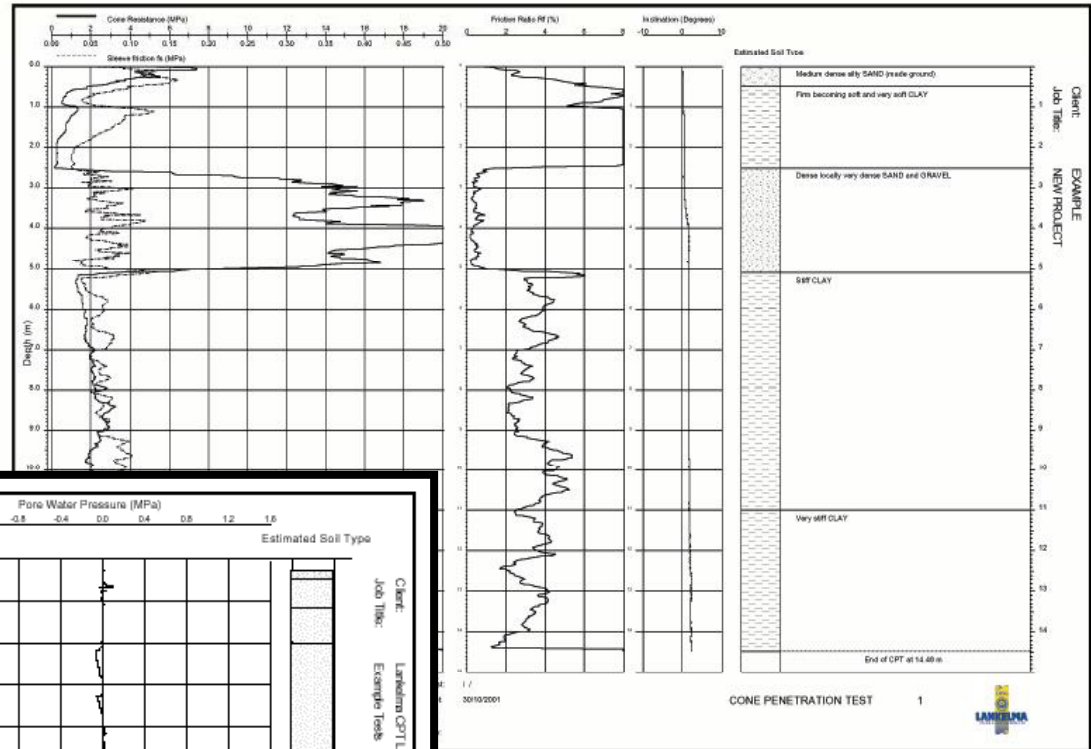
Thrust Machines



Friction Cone



Piezocone



Role of CPT

CPT has three main applications:

- Determine sub-surface stratigraphy and identify materials present,
- Estimate geotechnical parameters
- Provide results for direct geotechnical design

In UK Primary role is soil profiling, but increasingly used for geotechnical properties

Let us now consider getting parameters



Interpretation in fine grained deposits

- CPT/CPTU in fine grained soils is generally undrained.
- Performing CPT/CPTU tests under undrained conditions generate pore pressures and the measurement of pore pressure is extremely useful.
- The pore pressures generated affect measurements of both q_c and f_s and must be corrected for.
- The measured pore pressures can also be used directly for interpretation in terms of soil design parameters.

Interpretation of CPTU data in clay

Parameters that we can try to estimate from CPTs in fine grained soils are:

- State characteristics (Unit weight In situ stresses and stress history)
- Strength characteristics
- Deformation characteristics
- Flow and consolidation characteristics
- In situ pore pressure



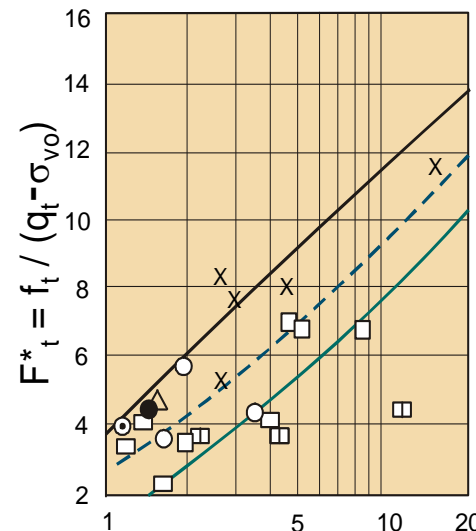
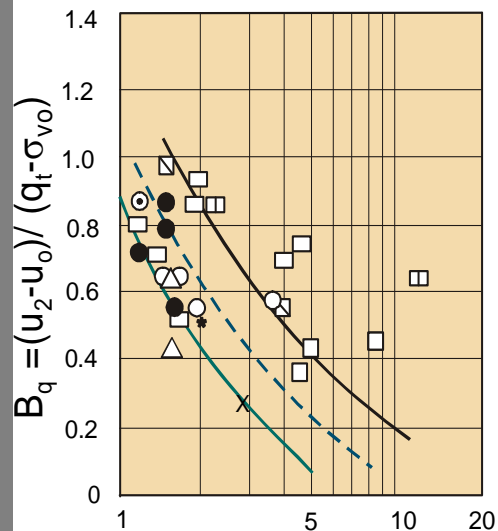
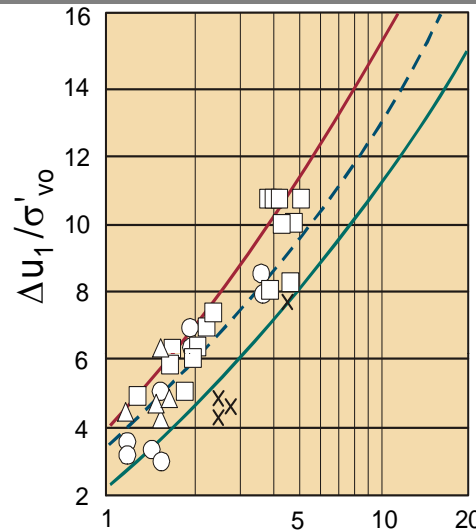
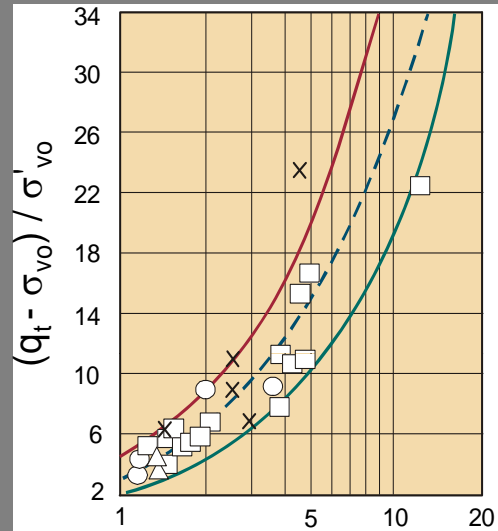
Overconsolidation Ratio

Interpretation of CPTU data can use methods based on:

- the undrained shear strength
- the shape of the CPTU profile
- directly on CPTU data

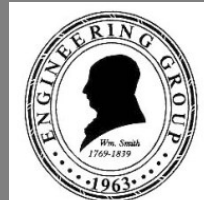
Correlations to OCR – continual improvements

Following
recommendations by
Prof. P.Wroth 1984
Rankine lecture

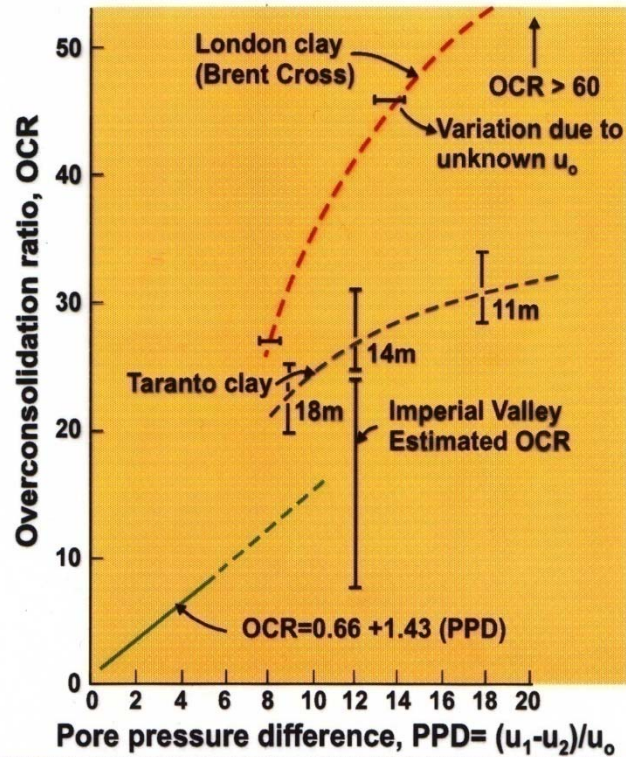
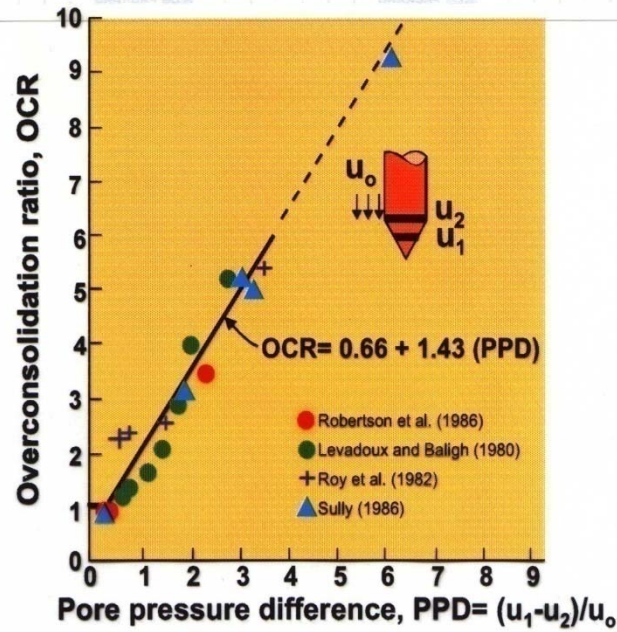


Overconsolidation ratio, OCR

- Legend:**
- △ Troll
 - Brage
 - Haltenbanken
 - ◻ Haga
 - * Rio
 - ⊖ Vancouver
 - X Cowden
 - ▽ Brent Cross
 - ◻ Onsøy
 - ◻ Emmerstad
 - ⊙ Drammen lean clay
 - Drammen plastic clay



PPD



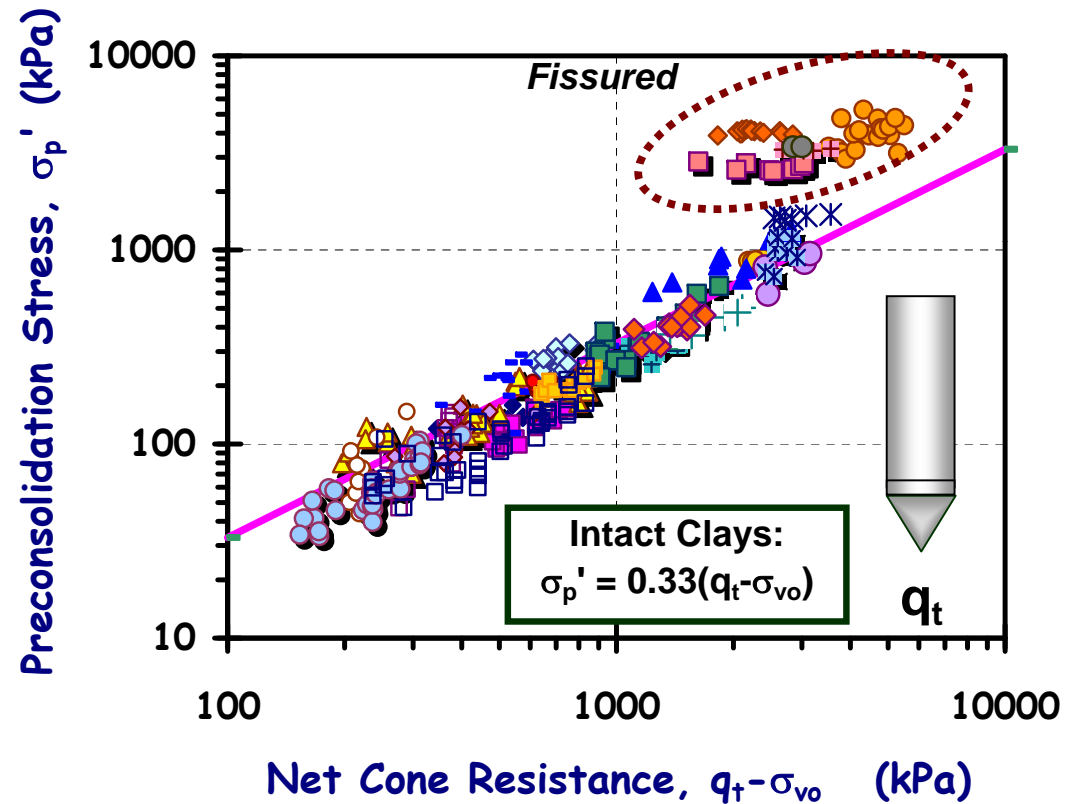
Direct Evaluation of σ_p' in Clays from CPTu

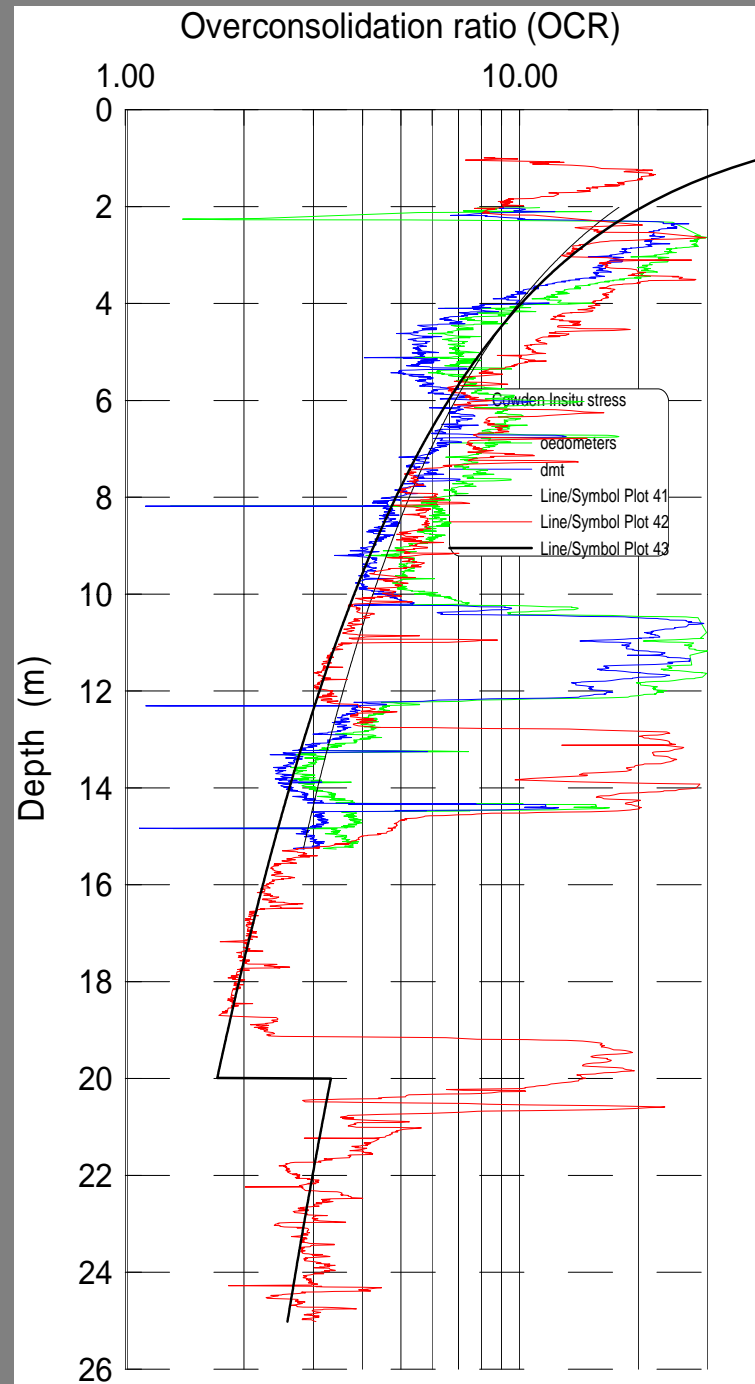
$$\sigma_p' = 0.33 (q_t - \sigma_{vo})$$

$$\sigma_p' = 0.47 (u_1 - u_0)$$

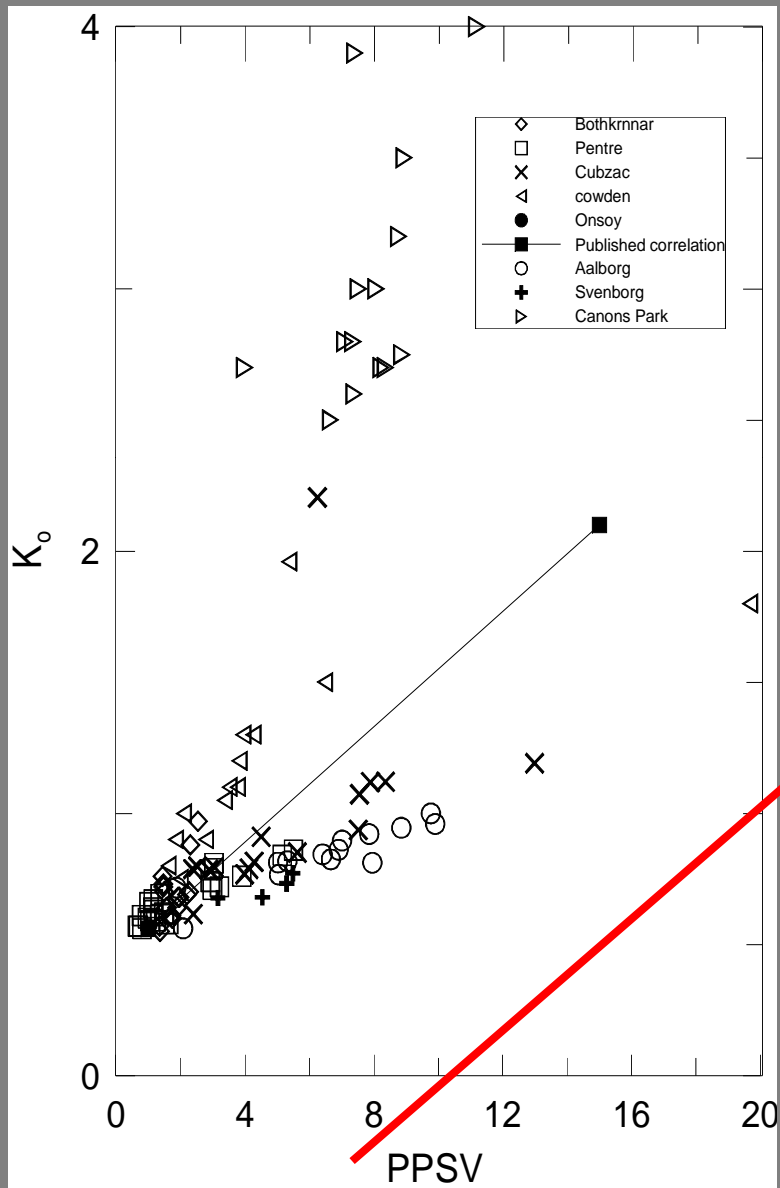
$$\sigma_p' = 0.53 (u_2 - u_0)$$

$$\sigma_p' = 0.60 (q_t - u_2)$$

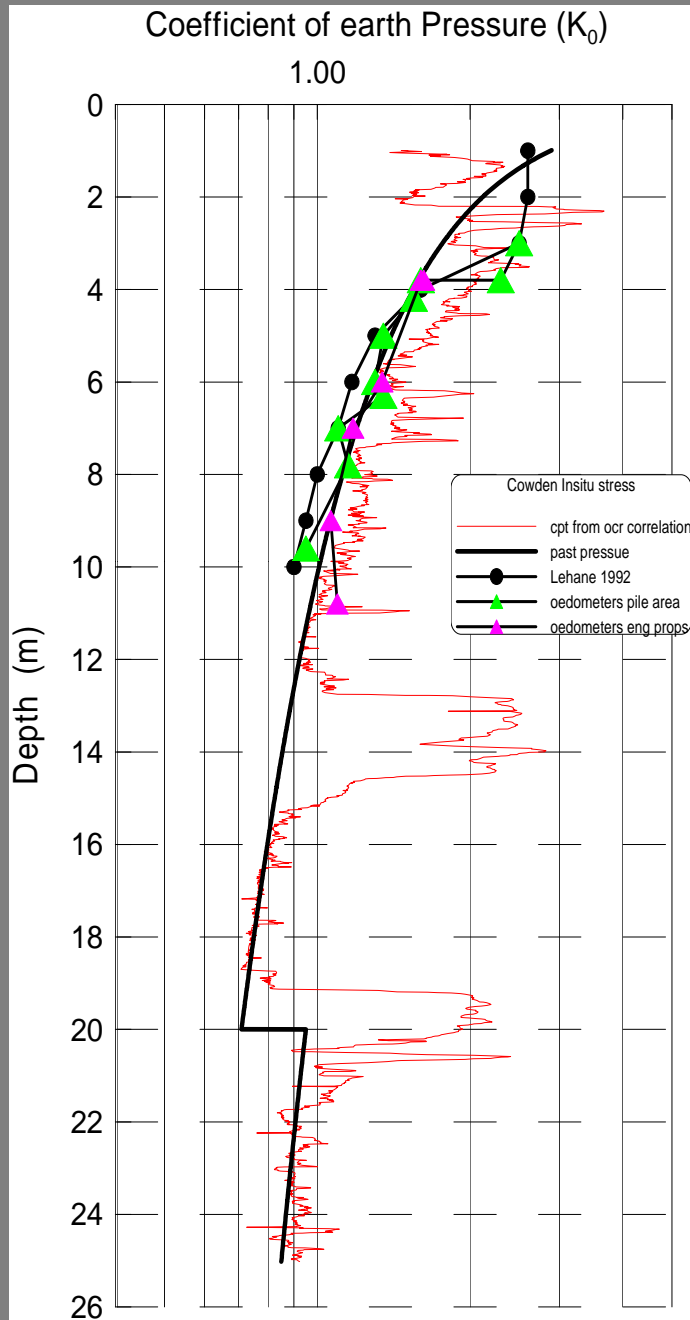




OCR: Cowden



K_0 and PPSV beware of
 generalisation, site specific
 possible?



Ko:
Cowden
 helping to establish history

Strength characteristics

- undrained shear strength
- sensitivity
- effective stress strength parameters

Undrained Shear Strength

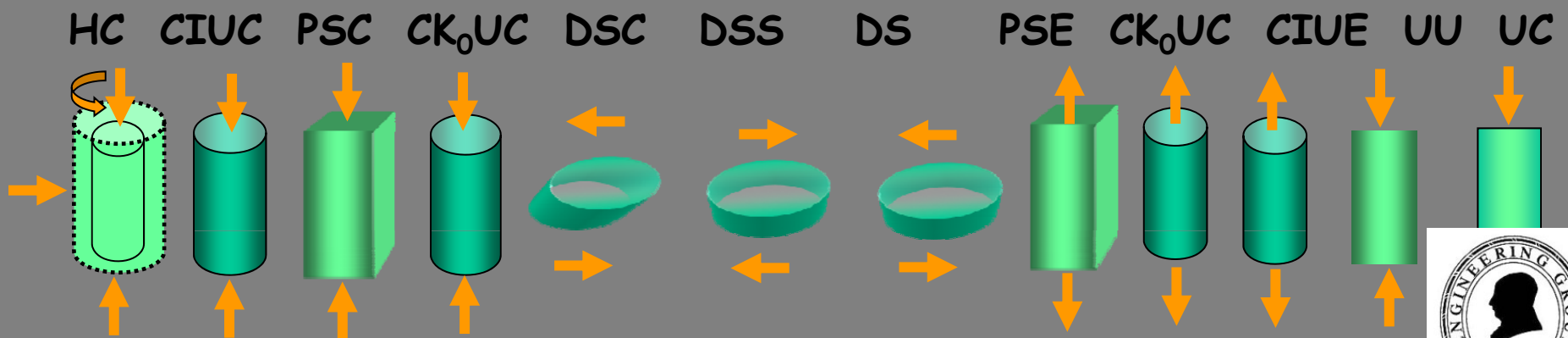
- Classical interpretation from CPT in clays:
undrained shear strength = s_u

$$s_u = \frac{q_t - \sigma_{vo}}{N_{kt}}$$

- Which s_u ?



$$N_k = 15$$



Undrained Shear Strength from CPTU Data

$$s_u = q_{\text{net}}/N_{\text{kt}} = (q_t - \sigma_{v0})/N_{\text{kt}}$$

Most Common

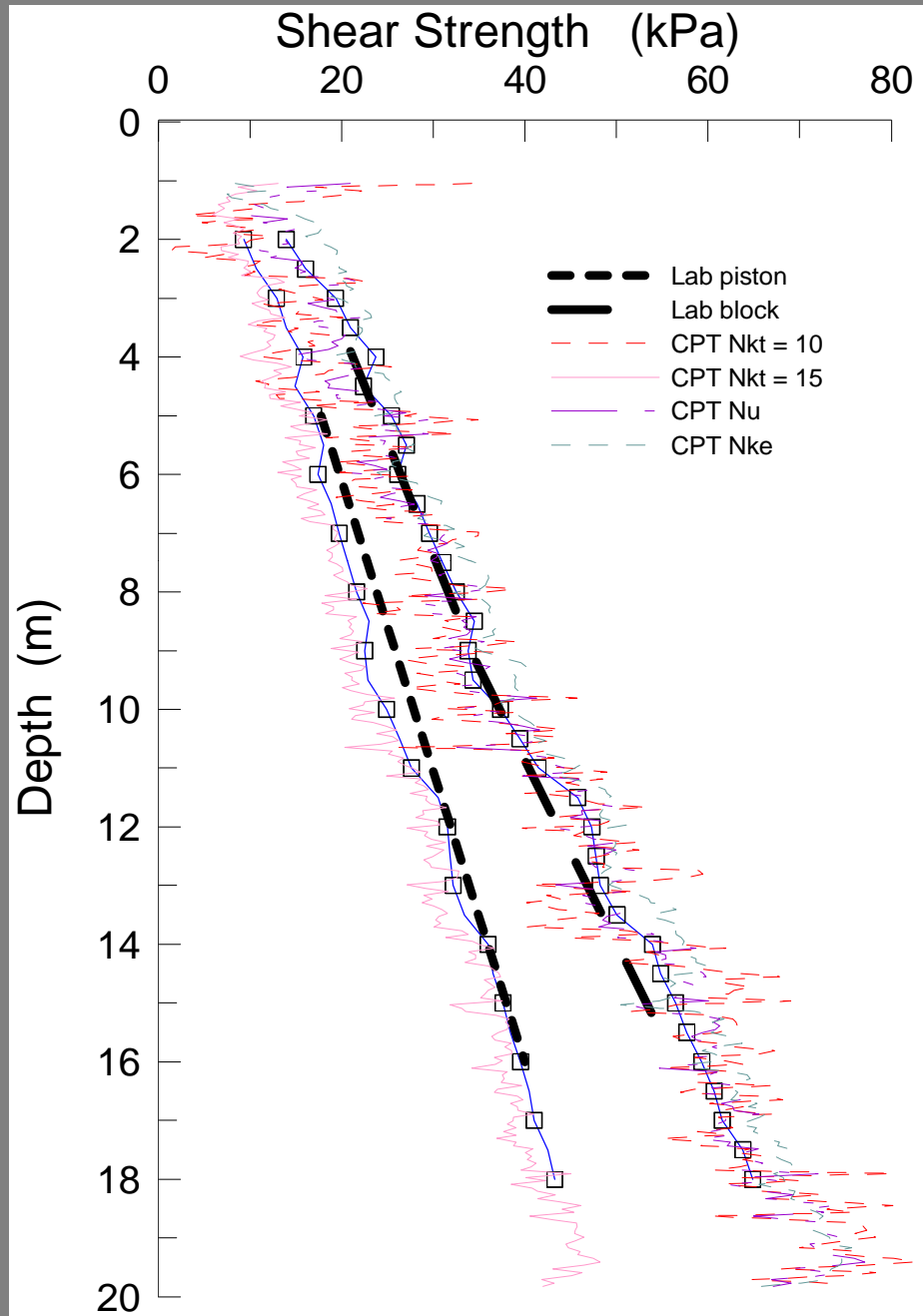
$$s_u = \Delta u/N_{\Delta u} = (u_2 - u_0)/N_{\Delta u}$$

Often used

$$s_u = q_e/N_{ke} = (q_t - u_2)/N_{ke}$$

Seldom used

Need empirical correlation factors N_{kt} , $N_{\Delta u}$, or N_{ke} factors to be correlated to a specific measure of undrained shear strength, e.g., $s_u(\text{CAUC})$ or $s_u(\text{ave})$



**Shear strength -
Bothkennar**
correlation to match source

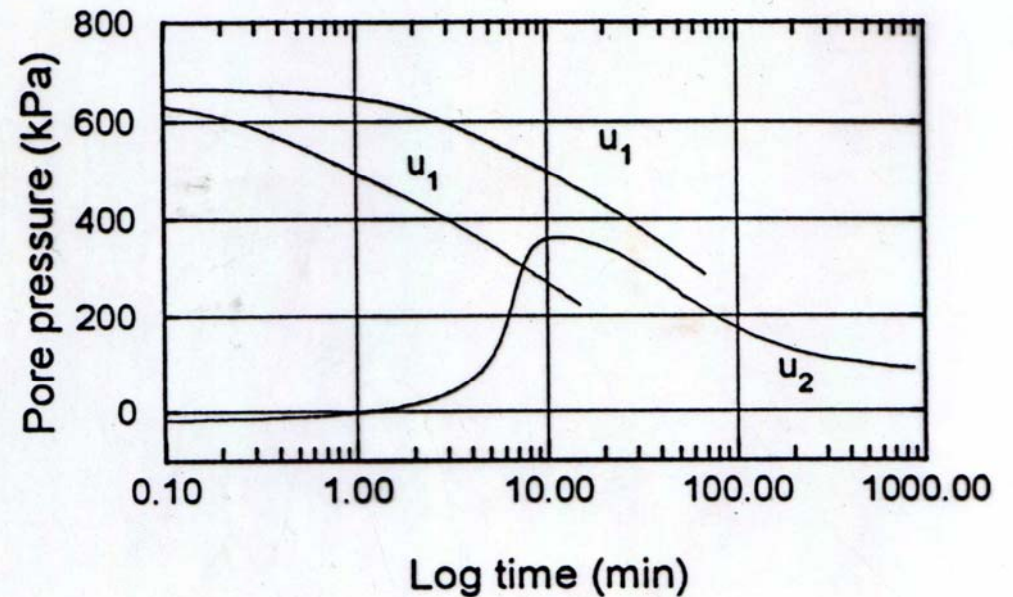
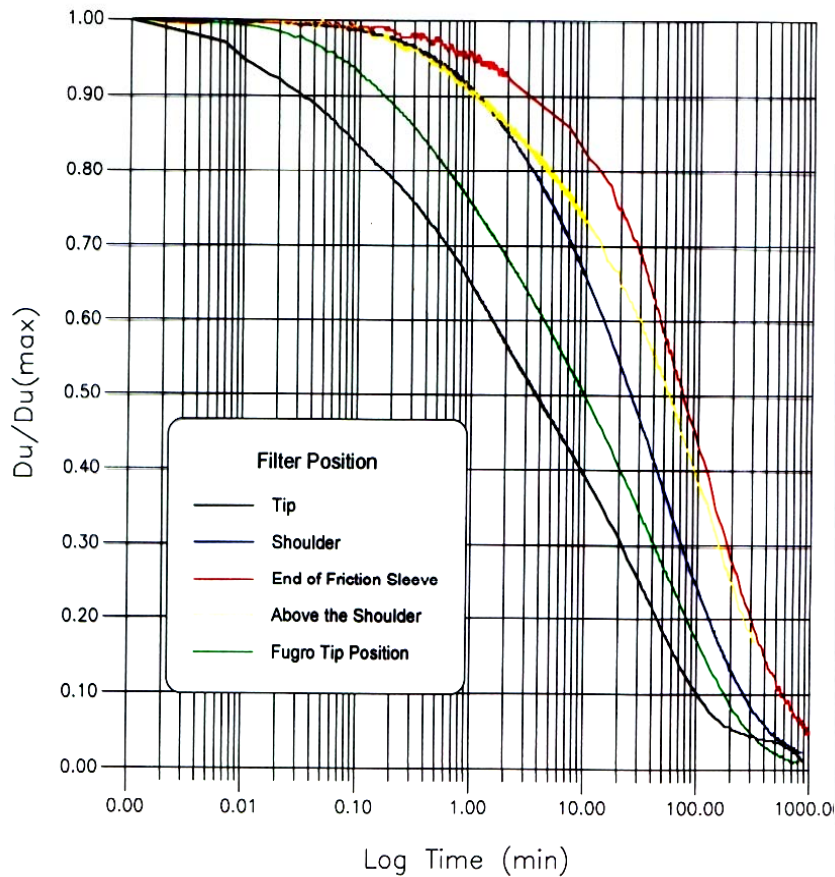
Flow and consolidation characteristics

- coefficient of consolidation
- coefficient of permeability



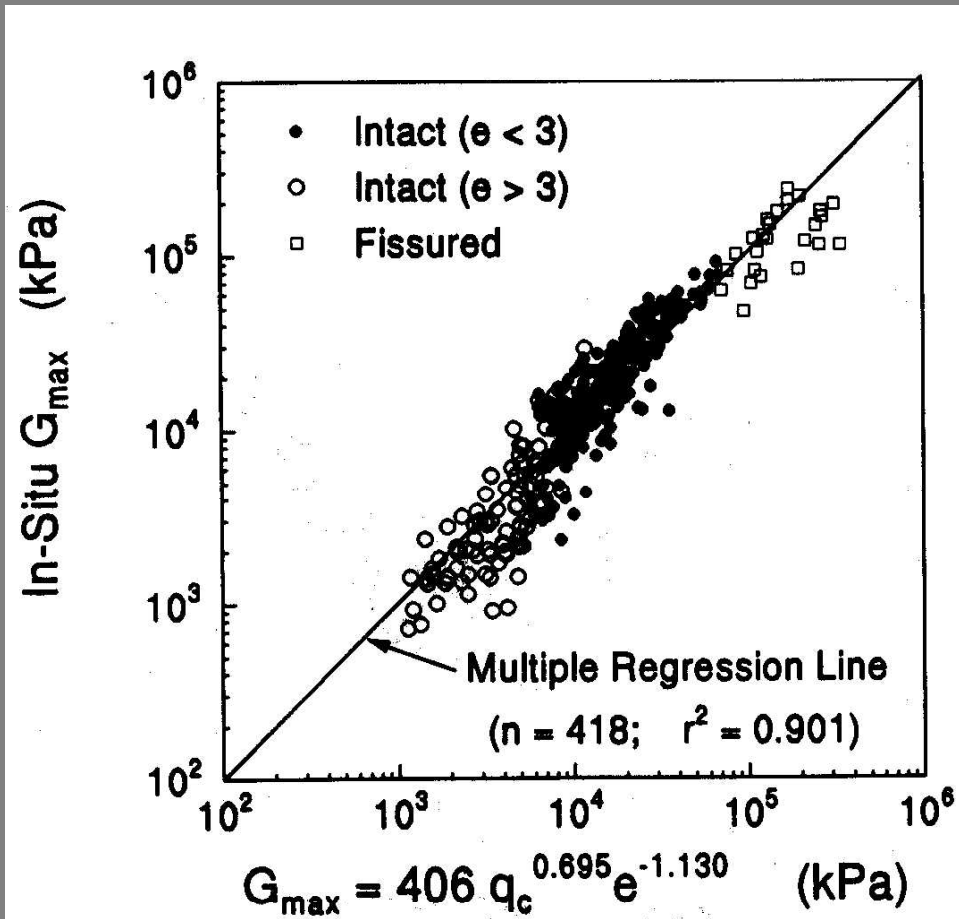
Dissipation Tests

Bothkennar Dissipation Tests
Family Plots of 15m Tests



OC Clays (u_2 rising from suctions)

Small strain shear modulus from CPTU data



From Mayne and Rix (1993)

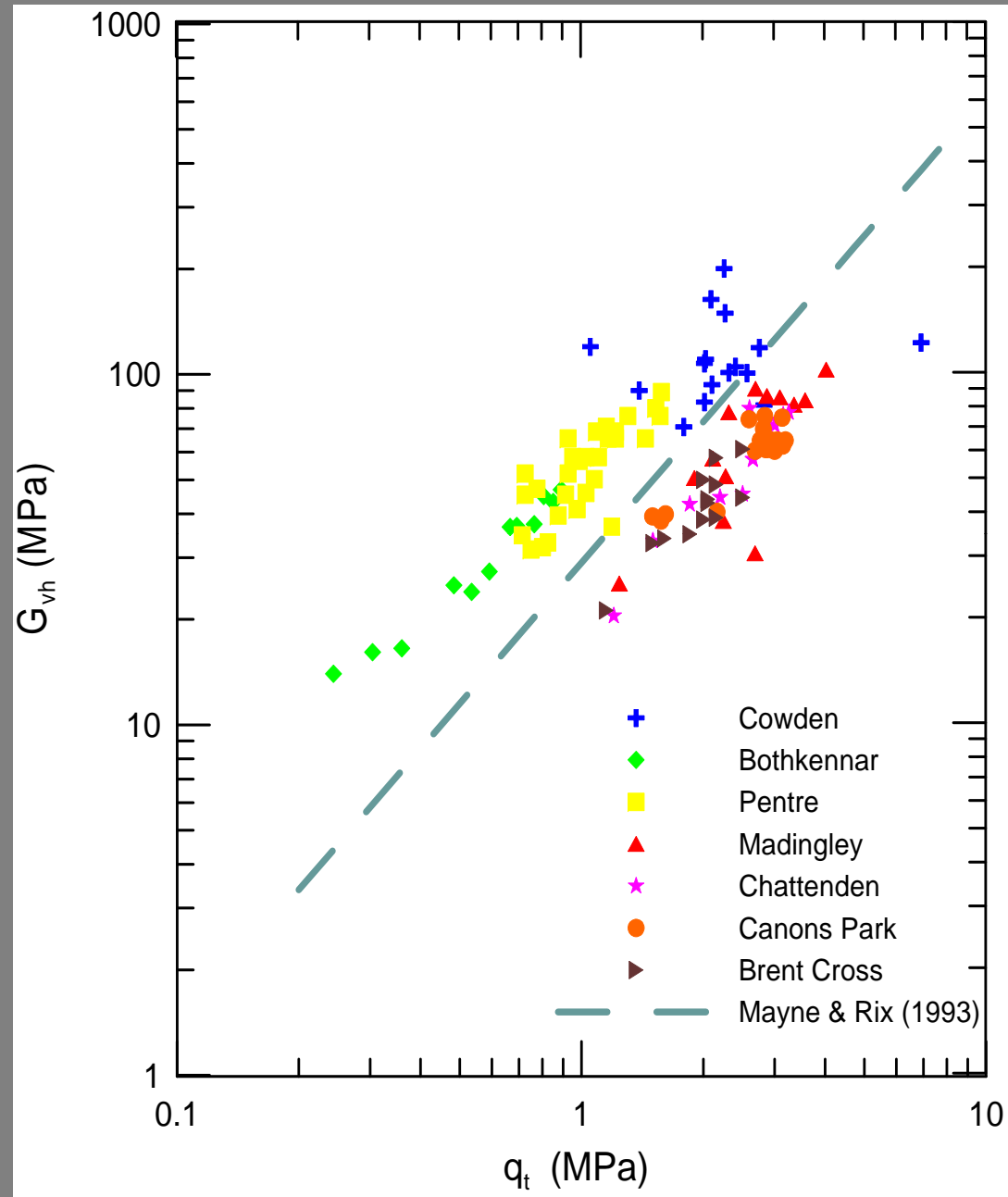
Seismic Measurements

- Elastic theory relates the small strain shear modulus (G_0) using:

$$G_0 = \rho(V_s)^2$$

where ρ is the soil mass density

Measure velocity and calculate stiffness if ρ is known or estimated



G_{vH} in UK soils

INTERPRETATION IN SAND - DRAINED CONDITIONS

- In situ state
 - relative density; porosity
 - in situ stresses, stress history
- Drained shear strength
- Deformation characteristics
 - constrained modulus (M)
 - Young's modulus (E_D)
 - Small strain or maximum shear modulus (G_{max})



Relative density, D_r

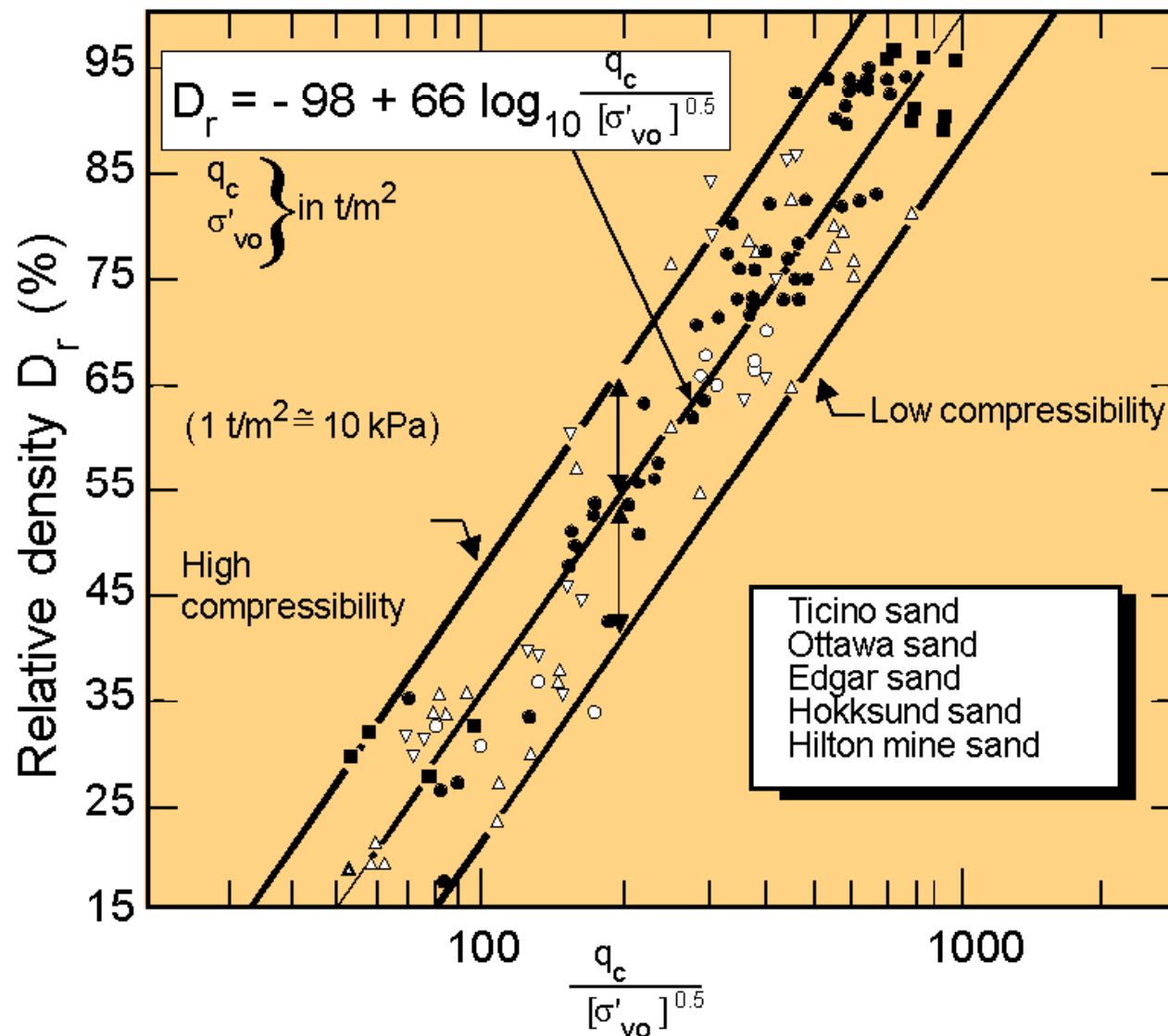
$$D_r(I_D) = \frac{e_{max} - e}{e_{max} - e_{min}}$$

e – in situ void ratio

e_{max} = max. porosity (loosest state)

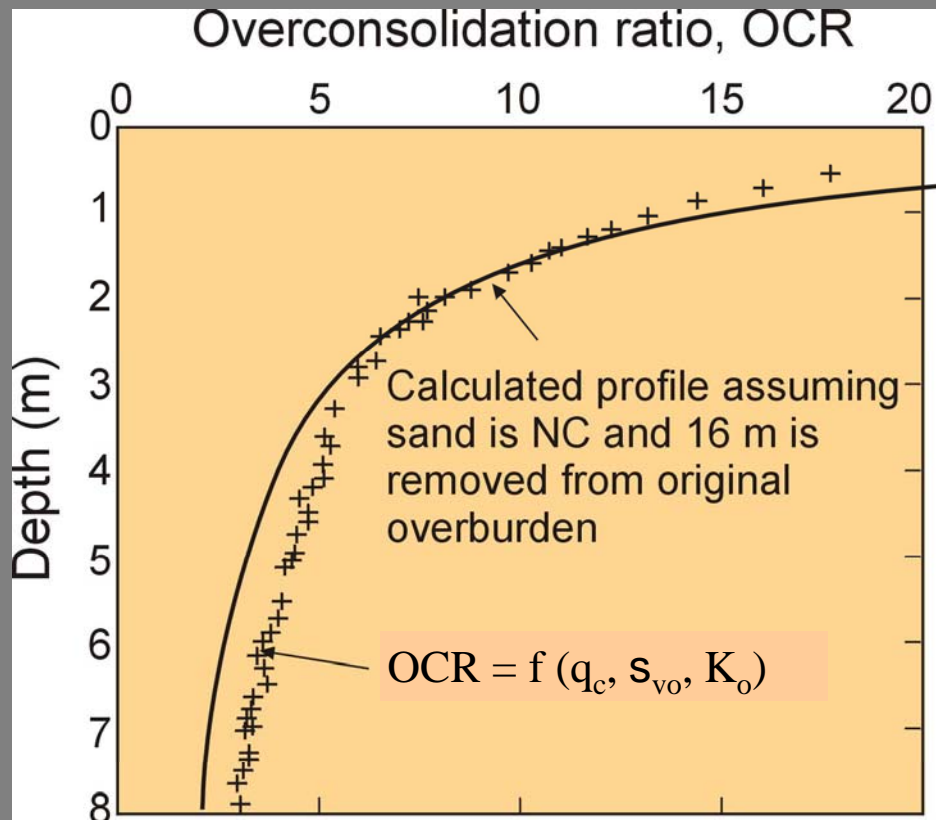
e_{min} = min. porosity (densest state)

Influence of compressibility on NC, uncemented, unaged, predominantly quartz sands



After Jamiolkowski et al., 1985

Example of K_0 and OCR interpretation after Mayne (1991)



Stockholm sand

DRAINED SHEAR STRENGTH, f_D' , FROM CPT

Three most common methods:

1 Empirical D_r approach

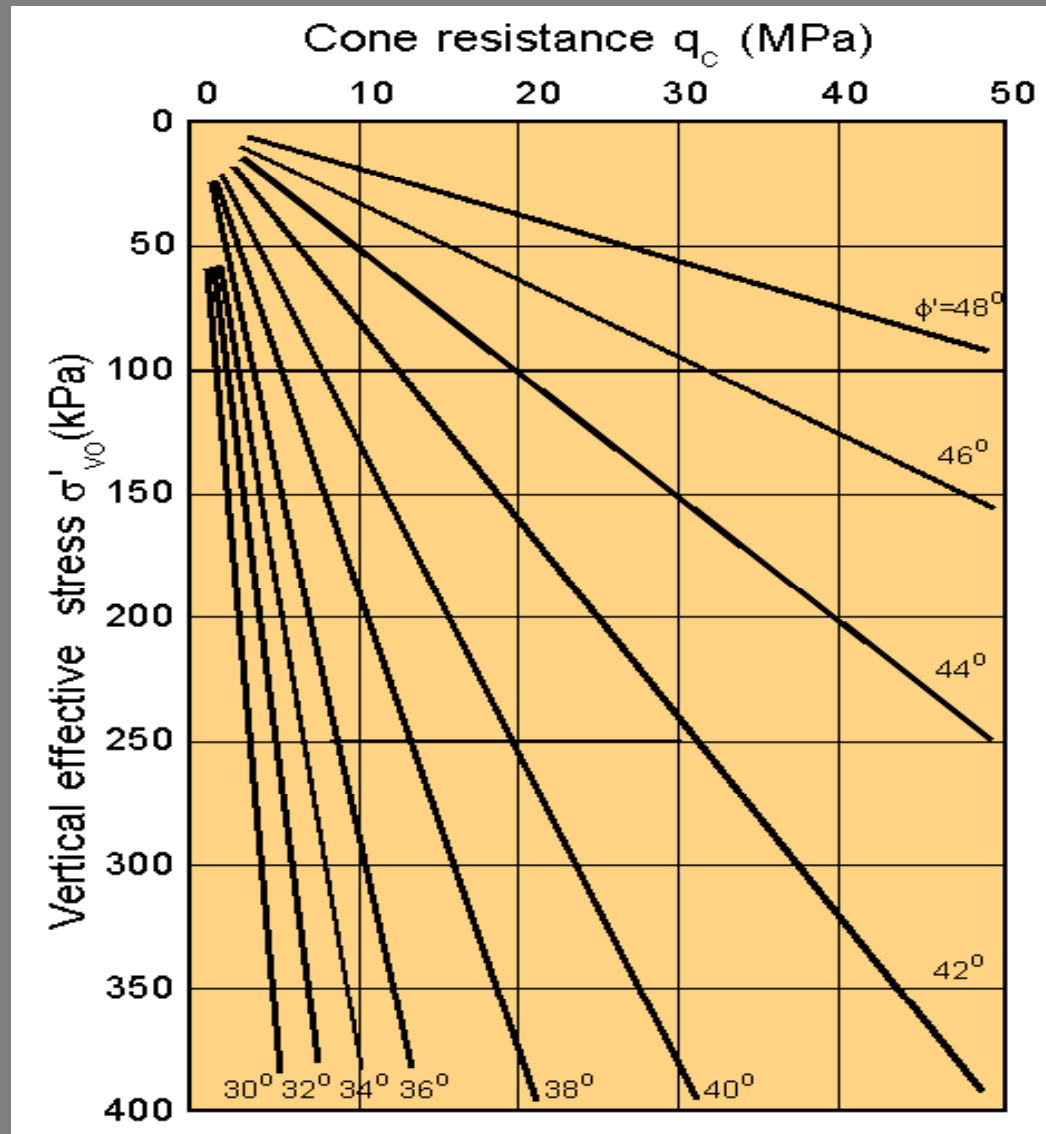
- use estimated D_r and then correlation $(\phi_D'/D_r)/\sigma_{v0}'$
- or carry out triaxial tests reconstituted to D_r from CPT

2 Empirical calibration chamber correlation

3 Bearing capacity method



σ_v', q_c, ϕ' relationships



Based on
Calibration
Chamber
Data

From Robertson and
Campanella(1983)



CORRELATIONS BETWEEN CONE RESISTANCE AND CONSTRAINED MODULUS, M FOR SANDS

Rough estimate from calibration chamber tests:

NC sands: $M_0 = 4 q_c$ $q_c < 10 \text{ MPa}$
 $M_0 = 2 q_c + 20 \text{ (MPa)}$ for $10 \text{ MPa} < q_c < 50 \text{ MPa}$
 $M_0 = 120 \text{ MPa}$ $q_c > 50 \text{ MPa}$

OC sands: $M_0 = 5 q_c$ $q_c < 50 \text{ MPa}$
 $M_0 = 250 \text{ MPa}$ $q_c > 50 \text{ MPa}$

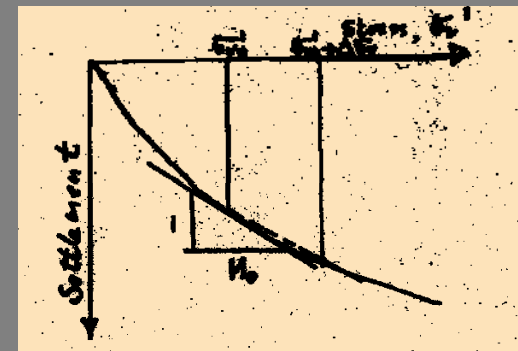
Ref. Lunne and Christophersen (1983)

M_0 is tangent modulus at in situ stress conditions, σ_{v0}' .

Tangent modulus applicable for stress range $\sigma_{v0}' + \Delta\sigma_v'$

is given as:

$$M = M_0 \sqrt{\frac{(\sigma_{v0}' + \Delta\sigma_v'/2)}{\sigma_{v0}'}}$$



Ref. Modulus concept by Janbu(1969)